## MAYAN NUMBERS BEGINNER

Most people today count using a decimal system; using groups of ten.
Using one symbol, you can only count to 9 .

The Mayans counted in groups of twenty.

The Mayans could count to 19 using one symbol

## HOW TO READ THE NUMBERS



Problem 1


Problem 2

$$
1+5=?
$$

Problem 3


Problem 4

## MAYAN NUMBERS INTERMEDIATE

## A NEW/ NUMBER $\theta=0$

To count above 9, we add a 1 to the LEFT of a zero: 10 . Which means 1 group of ten, and zero more.

When the Mayans count above 19, they added a 1 ABOVE a zero: Which means one group of twenty and zero more.

Example
Here is our number:

On the top we have two groups of twenty.

On the bottom we have seven extra.

$$
\text { So, }(2 \times 20)+7=\text { ? }
$$

Problem 1



Eleven groups of twenty.

Plus 3.


Problem 3


NOTE: This will only get you to 399. If you want to count further, go to our website or ask about our advanced Mayan counting sheet at the front desk.

# MAYAN NUMBERS ADVANCED I 

Every time we add a new digit to the LEFT of another digit, we increase it exponentially by 10 s .
So if we see the number " 123 " it means 1 group of 100 (or $10 \times 10$ ), 2 groups of 10, and 3 more.

Every time the Mayans add a new number group ABOVE another, it increases exponentially by 20 s .

So if we see this number it means 1 group of $400(20 \times 20)$, 2 groups of 20 , and 3 more. $\bullet \bullet \bullet$

Example
Here is our number:


There are three groups, so:
On the top there are three groups of $400(20 \times 20)$.
In the middle, there are zero groups of 20.

On the bottom there are 18 extra.

$$
\text { So, }(3 \times 20 \times 20)+(0 \times 20)+18=?
$$

Problem 1


Problem 2


Problem 3

$=$ ?

## MAYAN NUMBERS ADVANCED 2

The number 1,234 means 1 group of $1,000(10 \times 10 \times 10), 2$ groups of 100 ( $10 \times 10$ ), 3 groups of 10 , and 4 more.

This number is 1 group of $8,000(20 \times 20 \times 20), 2$ groups of 400 ( $20 \times 20$ ), 3 groups of 20 and 4 more.

Example
There are four groups, so:
11 groups of $8,000(20 \times 20 \times 20)$.

1 group of $400(20 \times 20)$.
$\square$
5 groups of 20.


0 extra.
So, $(4 \times 20 \times 20 \times 20)+(1 \times 20 \times 20)+(5 \times 20)+0=$ ?

Problem 1


## Problem 2



## See The Pattern?

Here are some different ways to visualise the relationship of the number groups:

| etc... |  |  |  |
| :--- | :--- | :--- | :--- |
| Fifth Group | $\times 160,000$ | $x(20)^{4}$ | $\times 20 \times 20 \times 20 \times 20$ |
| Fourth Group | $x 8,000$ | $x(20)^{3}$ | $\times 20 \times 20 \times 20$ |
| Third Group | $\times 400$ | $x(20)^{2}$ | $\times 20 \times 20$ |
| Second Group | $\times 20$ | $x(20)^{1}$ | $\times 20$ |
| Bottom Group | $x 1$ | $x(20)^{\circ}$ | $\times 1$ |

